

IOTC Swordfish

Management Strategy Evaluation Update

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Status of the MSE work

- The reference operating model for the Indian Ocean swordfish stock was developed over the last three years and has been endorsed by the IOTC scientific committee. The OM was developed based on the 2020 WPB SS3 assessment, and covered the dynamics of the swordfish until the year 2018. This OM was updated to the current year, 2023, by projecting the stock forward based on the reported catches for 2019, 2020 and 2021 and assuming a 2022 catch at the 2021 level.
- The choices made in 2020 for the construction of the OM by the previous researcher have been revisited. The structural uncertainty grid (different options for the stock assessment model parameters) was simplified by removing those parameters that were found to have little impact on the assessment (e.g. choice of the scaling method for the CPUE indices). This change in the grid resulted in a reduced number of combinations to consider, but in the end in a higher number of valid stock assessment models that can serve as the basis for the OM.
- Further developments to the swordfish MSE included the development and application of two types of candidate MPs, one model-based and one data-based, and the tuning of these MPs (i.e. defining the MP parameters that achieve a certain management goal) for a range of management objectives over the next 11 to 15 years.
- An in-depth analysis of the impact of the choices of the parameters for the CPUE MP was conducted in order to make an informed choice of the value of those parameters that are not obtained by tuning. This analysis also included a test of robustness of different configurations of this MP to the occurrence of a recruitment failure. On the basis of this investigation, a configuration of the CPUE MP with low reactivity to the changes and values in the CPUE index used for management was proposed.

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- The main feedback priority for the TCMP-06 is to get agreement on the range of proposed MPs to be fully tested, as well as on the current management objectives to be achieved for the tuning procedure.

Operating model development

The status of the current swordfish OM was presented at the 2022 WPB. A document presented a revision of the OM grid that decreased the number of factors considered, by identifying those having little impact on initial stock status and productivity in the OM. Two factors in the grid were eliminated: the choice of selectivity function shape for the CPUE fleets (previously set as double normal or logistic) and the scaling factor applied to the biomass by area estimates (previously based on surface area, biomass or catch). A change in the range of steepness values was also suggested, to 0.6-0.8 from the previous 0.6-0.9 but it was not endorsed by WPB, that noted that values between 0.6 and 0.9 were used for swordfish in other oceans (e.g. at ICCAT). The original structural uncertainty grid and the updated grid after WPB 2022 are given in table 1a and 1b of annex 1 respectively.

The decisions made at WPB were implemented, which resulted in a new grid containing 648 combinations, of which 175 were selected by factorial design optimization (vs 2592 and 108 respectively for the original OM). The SS3 stock assessment was run for these 175 parameter combinations, and 130 runs were ultimately considered acceptable (based on model convergence, biomass index prediction skill, credibility of B0 estimates) and used as a basis for the OM (vs 67 for the original OM).

The SS3 runs based on the latest available stock assessment data for the Indian ocean swordfish cover the development of the stock until the year 2018. In order to conduct simulations starting with a stock status as close as possible to the current status, the OM was projected forward over the years 2019-2022 using the IOTC catches estimates for the years 2019 to 2021, and assuming a status quo fishing mortality for 2022 ($F_{2022}=F_{2021}$).

The updated OM presents a slightly different distribution of stock status at the end of the assessment period from the previous OM (figure 1), with broader distribution of values, and, overall, slightly higher values. The updated OM gives the perception of a stock that was unfished at the start of the assessment period, for which exploitation started in the 1990s which caused stock size to decrease until the mid-2000s after which it stabilized (figure 2). This is similar to the previous OM.

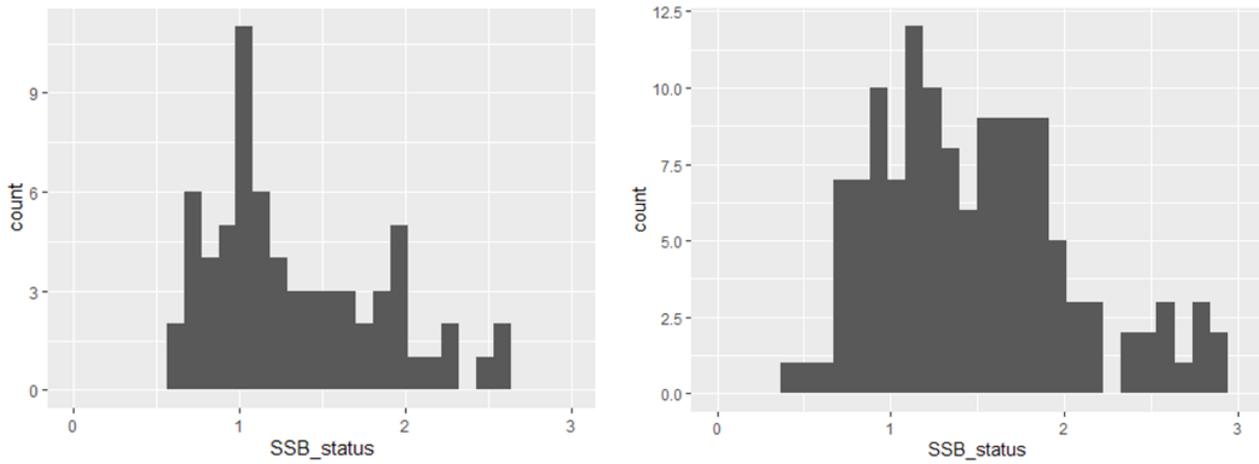


Figure 1 : Distribution of the estimated stock status in 2018 (SB/SB_{MSV}) on the previous OM grid (left) and new one (right).

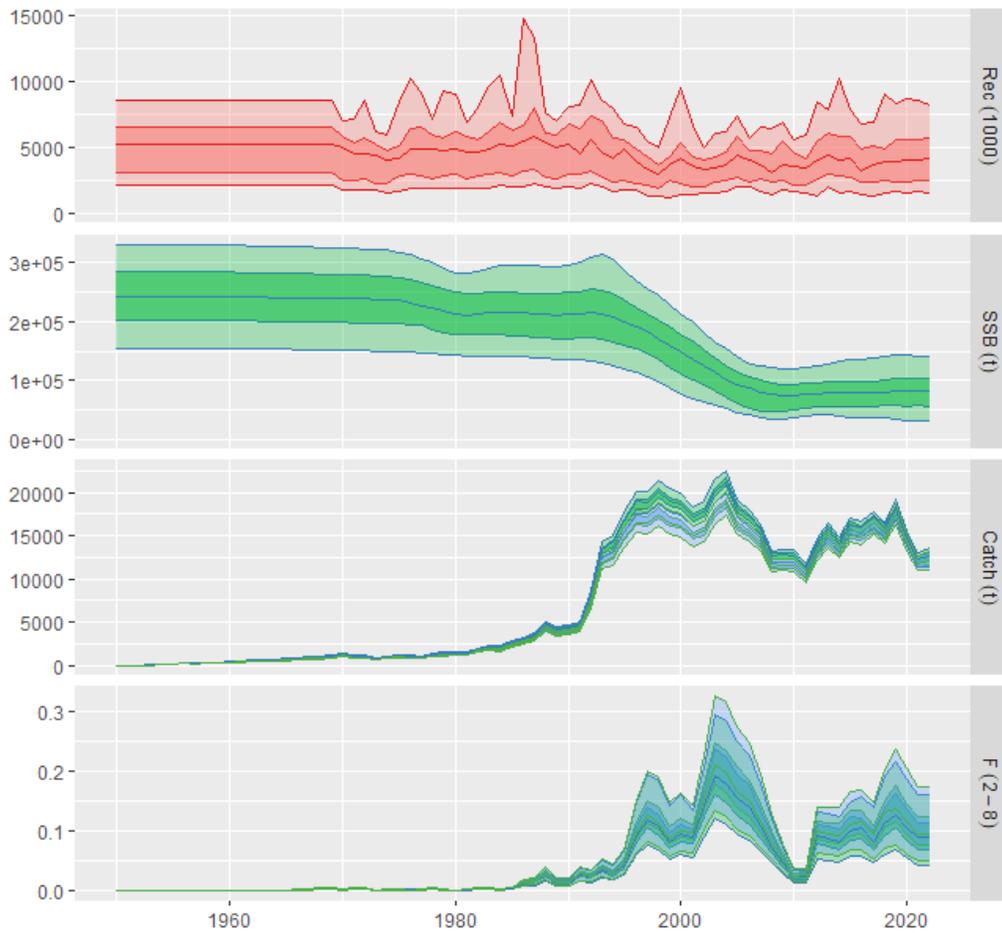


Figure 2: historical stock development in the updated swordfish OM

Candidate Management Procedures

The swordfish MSE analyses presented here have evaluated two types of MPs:

- A model-based one, in which a surplus-production stock assessment model provides an estimate of current stock status, in terms of current biomass depletion, which is then used in a harvest control rule to determine advised catch
- A data-based one in which the advised catch is based on the value and recent trend in a CPUE index.

The two types of MPs are presented below and they were furthermore implemented:

- with a 3 year advice cycle (TAC set for a period of 3 years)
- with an inter-annual TAC variation limit (or TAC stabilizer) of 15 %, whereby when the implementation of the MP leads to a change in TAC larger (in absolute values) than 15%, the TAC applied is that corresponding to the max 15% change (increase or decrease).
- assuming that in a given year, y , when advice has to be given for the 3 following years, $y+1$ to $y+3$, data are available until the previous year, $y-1$ (i.e. 1 year data lag)

Model-based MP

Definition

The model-based MPs (figure 3) involve two steps:

- 1) fitting a surplus production model to estimate current depletion rate, and
- 2) applying a Harvest Control Rule (HCR) to the model estimates of current depletion. The shape of the HCR (hockey-stick) is defined by three control parameters :
 - CP1: minimum stock level below which no fishing (or the least possible) should take place,
 - CP2: trigger stock level below which catch advice should be decreased proportionally to current depletion
 - CP3: maximum catch that can be taken when the stock is estimated to be above the trigger level.

Implementation in the swordfish case

The surplus production model JABBA was fitted to the total catches time series and the Japanese longline CPUE index and provided estimates of the depletion rate, as SB/SB_0 (SB_0 = virgin biomass), in the last year of the assessment period. The limit and trigger depletion rates were set at $CP1 = 0.1$ (a proxy for $SB=SB_{lim}$) and $CP2 = 0.4$ (a proxy for $SB=SB_{MSY}$). The maximum catch, $CP3$, was obtained by tuning the MP to achieve the particular management objectives. In agreement with the decision made by the TCMP-03 (2018), the MP was tuned for three tuning objectives corresponding to a probability of being in the green quadrant of the Kobe plot ($p(\text{Kobe green})$) over the period 2034:2038 of exactly 50%, 60% and 70% (average over all stock replicates) respectively.

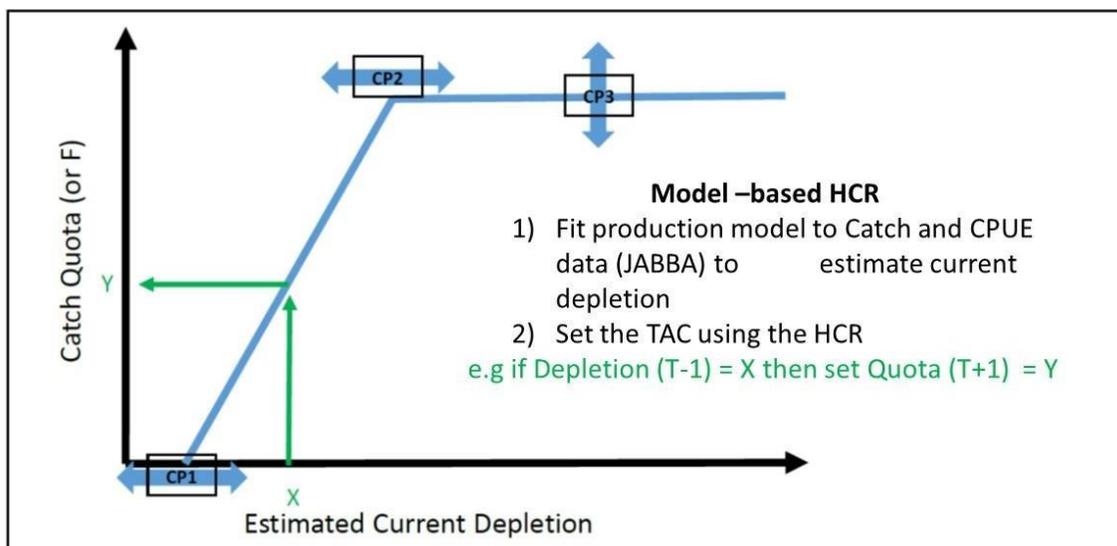


Figure 3. Harvest control rules used in the model-based MP.

Data-based

Definition

The data-based MPs attempt to manage the fishery to achieve a target value of catch rates over a chosen CPUE series. The next TAC is increased relative to the current TAC if current CPUE is above the target CPUE and the CPUE trend is increasing. Conversely, the next TAC is decreased relative to the current TAC if current CPUE is below the target CPUE and the CPUE trend is decreasing. If the CPUE location relative to the target and CPUE slope are in opposite directions, the TAC change could be in either direction, depending on the magnitude of these indicators, and the associated control parameters. Formally, the future TAC is calculated as a proportion, TAC_{mult} , of the current TAC, which is defined as

$$TAC_{mult} = 1 + k_a Sl + k_b D$$

with

$$k_a = k_1 \text{ if } Sl > 0 \text{ or } k_a = k_2 \text{ if } Sl \leq 0$$

and

$$k_b = k_3 \text{ if } D > 0 \text{ or } k_b = k_4 \text{ if } D \leq 0$$

Where Sl is the slope of the log CPUE over the last 5 years, D is the difference between recent CPUE value (average over the last 3 years) and the target CPUE value, and k_a and k_b are parameters of the relative weight assigned to the previous two quantities (figure 4), controlling the responsiveness of the MP. Control parameters include: CP1) responsiveness to CPUE slope (k_1 and k_2), CP3) responsiveness to CPUE target deviation (k_3 and k_4) and CP4) the CPUE target value.

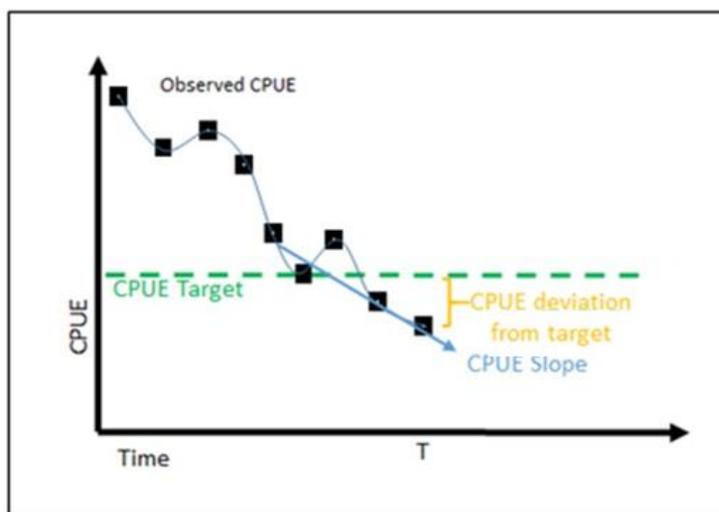


Figure 4 : The CPUE rule is based on the recent slope in the CPUE index and the distance to the target index value.

Implementation in the swordfish case

The CPUE index used for this rule was the Japanese longline CPUE index. The control parameters defining the responsiveness of the MP to both the current distance from the target CPUE and to the slope of the CPUE over the recent years were all set (see section below for a justification of the k values chosen). The MP was tuned to estimate the target CPUE value for the same three management objectives as for the model based MPs.

Summary of Swordfish Candidate MP Performance

MP rankings against key performance indicators are presented in Table 1 and figs. 5-11 illustrate their performance characteristics. More detailed performance tables are included in Appendix 2 (summarized over different time windows). We highlight the following key points:

- The two types of MP led to similar levels of spawning biomass (for a given tuning objective) expect for $P(\text{Kobe} = \text{green}) = 50\%$ for which spawning biomass was markedly lower with the model based MP. The model based MP also led to a wider distribution of values across simulation iterations.
- For all tuned MPs, the probability that the stock remains above SB_{lim} for the tuning period was very high (average values above 99%).
- The data-based MP (MP1-3) led to larger average catches than the model-based one, but a wider distribution of values across simulation iterations. For the model-based MP, the average catch is consistent across iterations, reflecting the fact that it is most of the time equal to the plateau of the hockey stick harvest control rule. This also results in a low interannual change in the catch although a little less so when the MP is tuned for $P(\text{Kobe} = \text{green}) = 50\%$, as the stock is more often at SB/SB_0 below 40% where catches are decreased from C_{max} . For the data based MP, interannual change in catches are higher, although it remains at low values (likely due to the implementation of a maximum interannual TAC variation limit of 15%).

- Tuning objectives are achieved (mean $P(\text{Kobe}=\text{green})$ at 0.5, 0.6 or 0.7) but there is a large variability in this probability between simulation iterations (i.e. the 25th-75th quantile interval ranges from 0 to 1). This specific point was investigated for the 2022 WPB. It was explained by the fact that most of the simulation iterations starting in a given quadrant of the Kobe plot, remain in the same quadrant throughout the simulation period, despite the implementation of a MP. This is due to several factors. First the OM has a large range of initial starting conditions, with numerous iterations far above or far below the SB_{msy} . For these iterations to change quadrant over the tuning period, it would require a MP that imposes a strong change of stock size. This is unlikely to be the case in the present situation, where the initial status for the stock is at $p(\text{Kobe}=\text{green})=73\%$, not far from any of the tuning objectives. In addition, due to the high longevity in the stock (31 age-classes), SB is very stable, which reduces the chances of changing quadrant over the tuning period, especially as the tuning period is rather short (5 years).

The main trade-off (figure 6) amongst MPs tested appears to be between MP type, with higher catches but larger interannual variation (and overall uncertainty) for the data-based MP, and lower but very stable catches for the model-based MP.

Table 1: performance of candidate MPs with respect to key performance measures (averaged over the period 2034-2038).

MP	prob(SB>SBlimit)	Catch Variability	prob(Green)	Mean Catch	SB/SBMSY
MP1	>0.99	6.2	0.5	37149.6 (26571.2-46601)	1.6
MP2	>0.99	5.7	0.62	34421.4 (24348.0-44429)	1.7
MP3	>0.99	5.2	0.7	32498.0 (22853.7-43024)	1.7
MP4	>0.99	5.3	0.49	35031.2 (24245.3-35031)	1.4
MP5	>0.99	3.4	0.6	30652.3 (25633.8-30652)	1.6
MP6	>0.99	2.3	0.71	26820.8 (26249.4-26821)	1.8

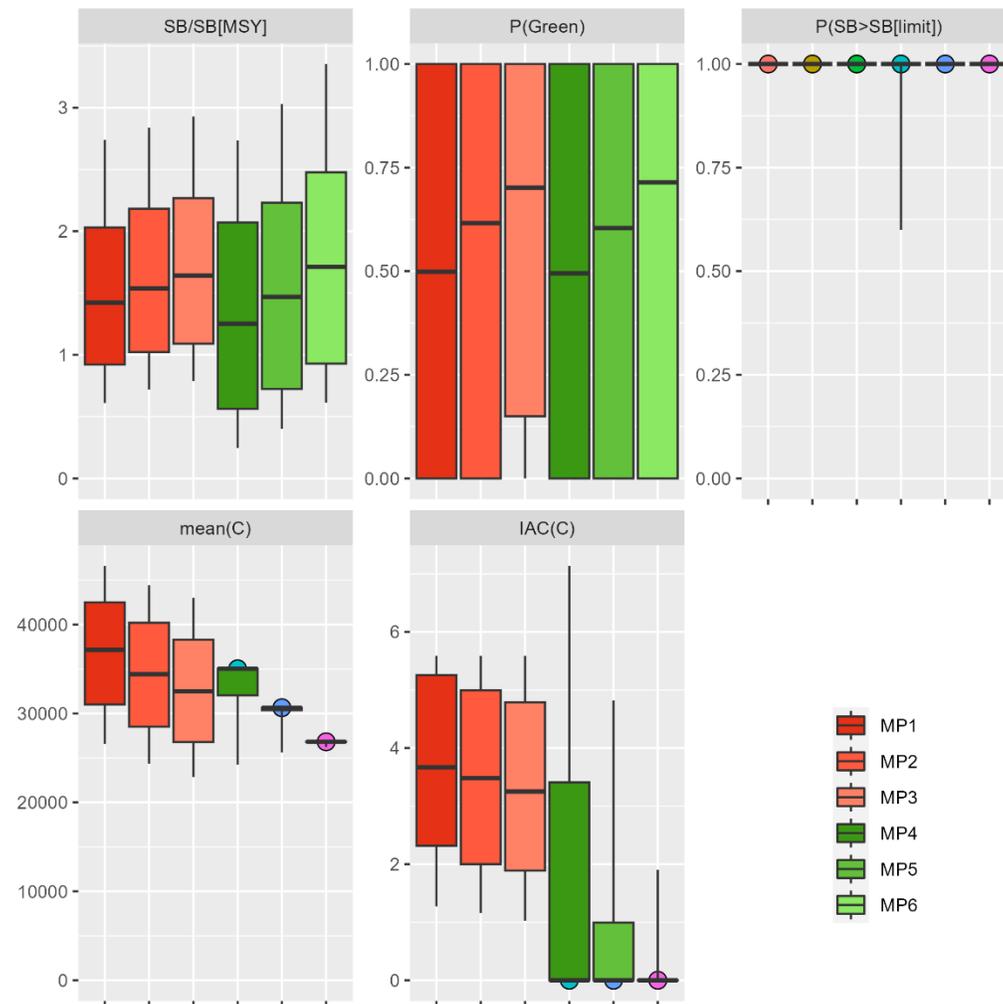


Figure 5. Boxplots comparing candidate MPs with respect to key performance measures averaged over the period 2034-2038. Horizontal line is the median (mean for $P(\text{Green})$), boxes represent 25th - 75th percentiles, thin lines represent 10th - 90th percentiles. The data-based MPs are depicted in red and model-based MPs are depicted in green

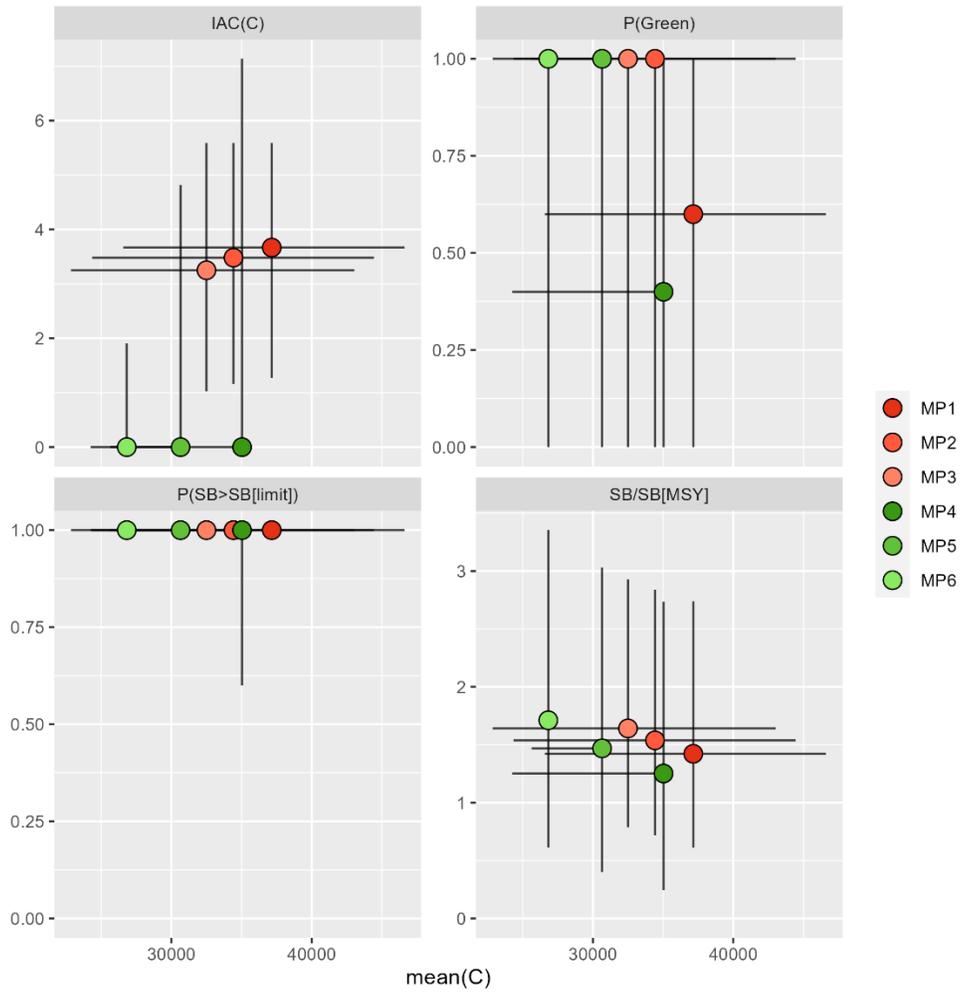


Figure 6. Trade-off plots comparing candidate MPs with respect to catch on the X-axis, and 4 other key performance measures on the Y-axis, each averaged over the period 2034-38. Circle is the median, lines represent 10th-90th percentiles.

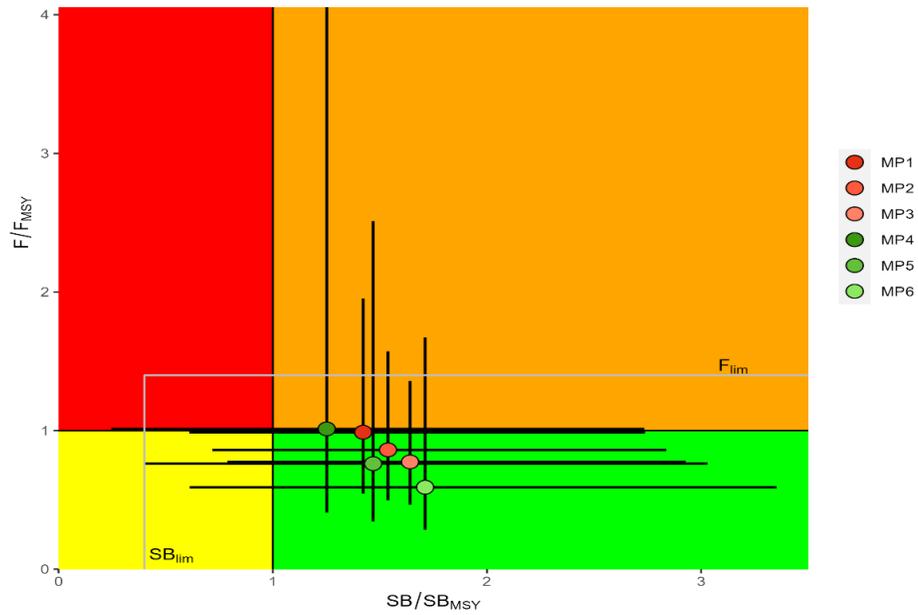


Figure 7. Kobe plot comparing candidate MPs on the basis of the expected 2034-2038 average performance. Circle is the median, lines represent 10th-90th percentiles.

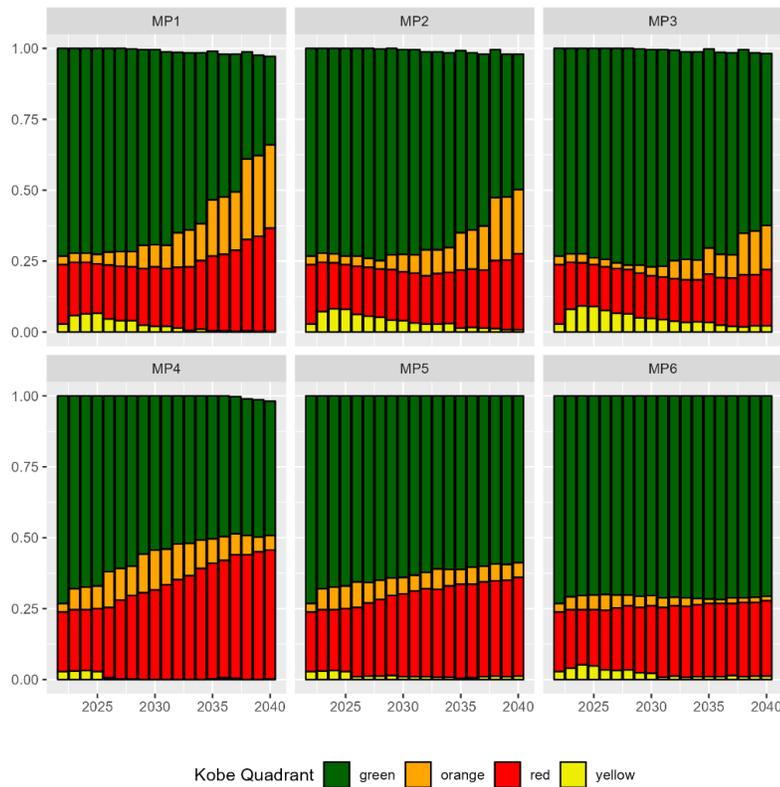


Figure 8. Proportion of simulations in each of the Kobe quadrants over time for each of the candidate MPs.

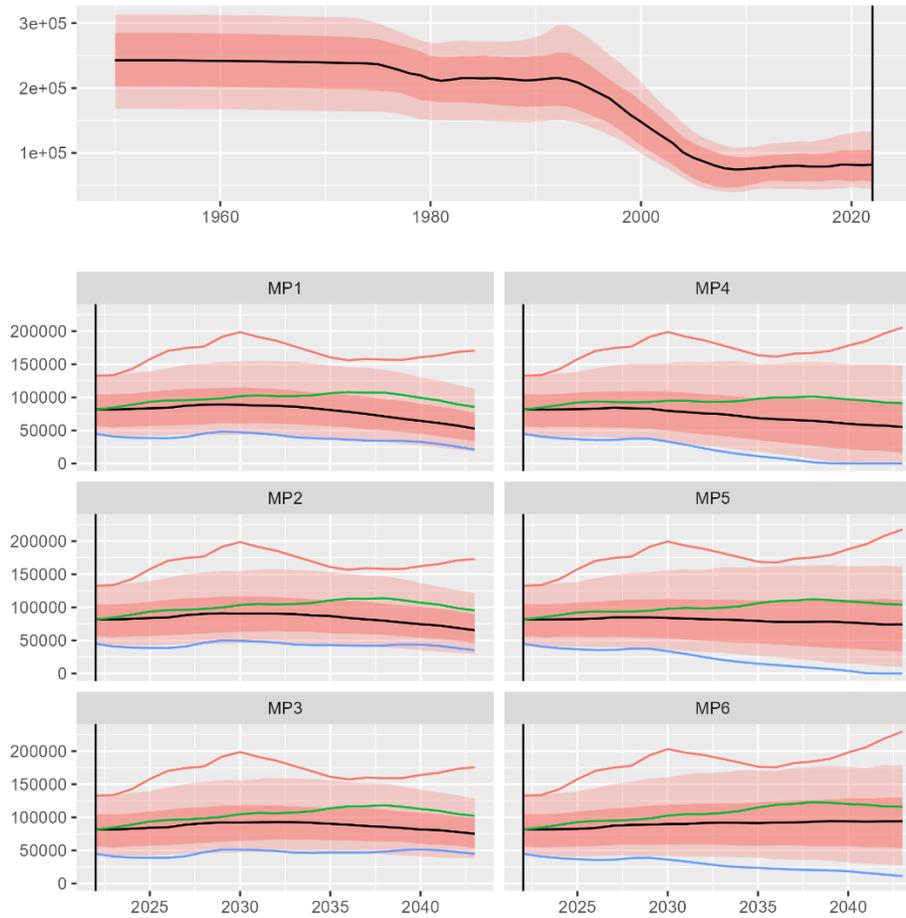


Figure 9. Time series of spawning stock size for the candidate MPs. The top panel represents the historical estimates from the reference case operating model, and lower plots represent the projection period. The solid vertical line represents the last year used in the historical conditioning. The median is represented by the bold black line, the darker red shaded ribbon represents the 25th-75th percentiles, the lighter red shaded ribbon represents the 10th-90th percentiles. The 3 thin coloured lines represent examples of individual realizations (the same OM scenarios across MPs and performance measures), to illustrate the range of expected realizations in stock trajectory.

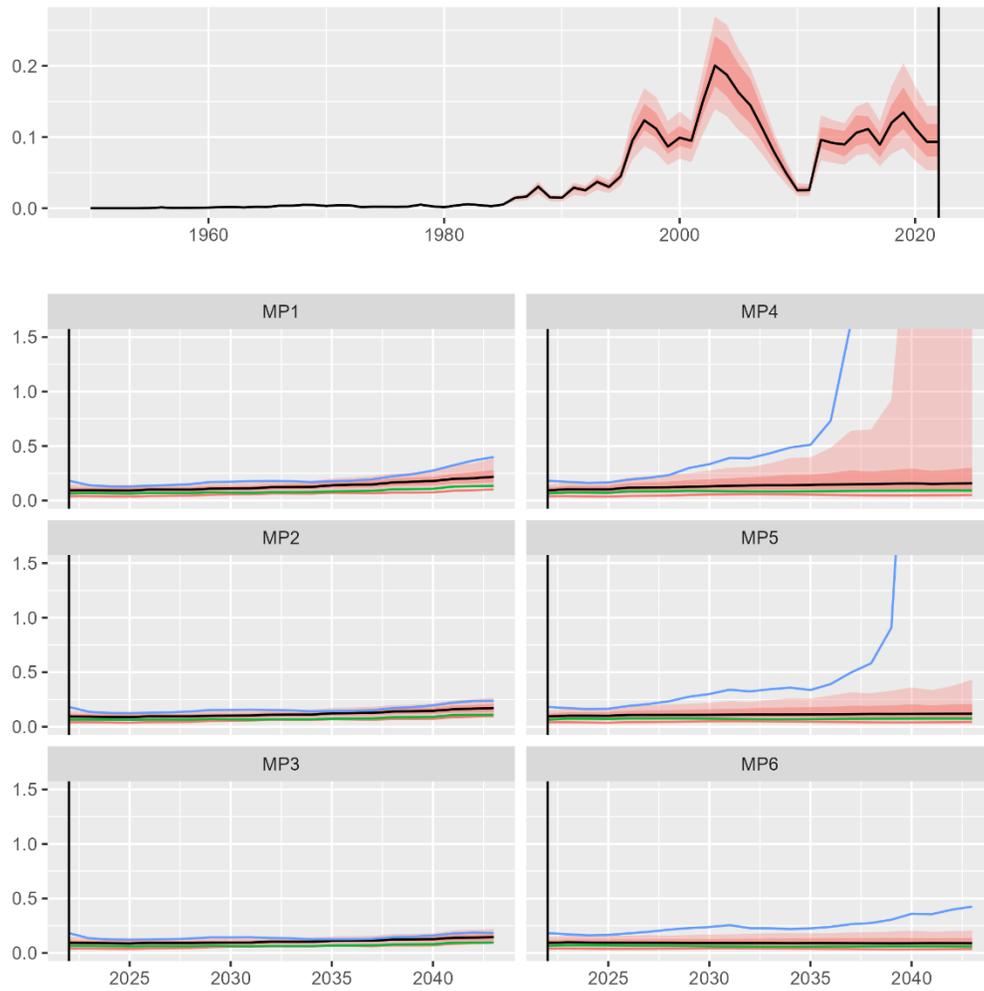


Figure 10. Time series of fishing intensity for the candidate MPs.

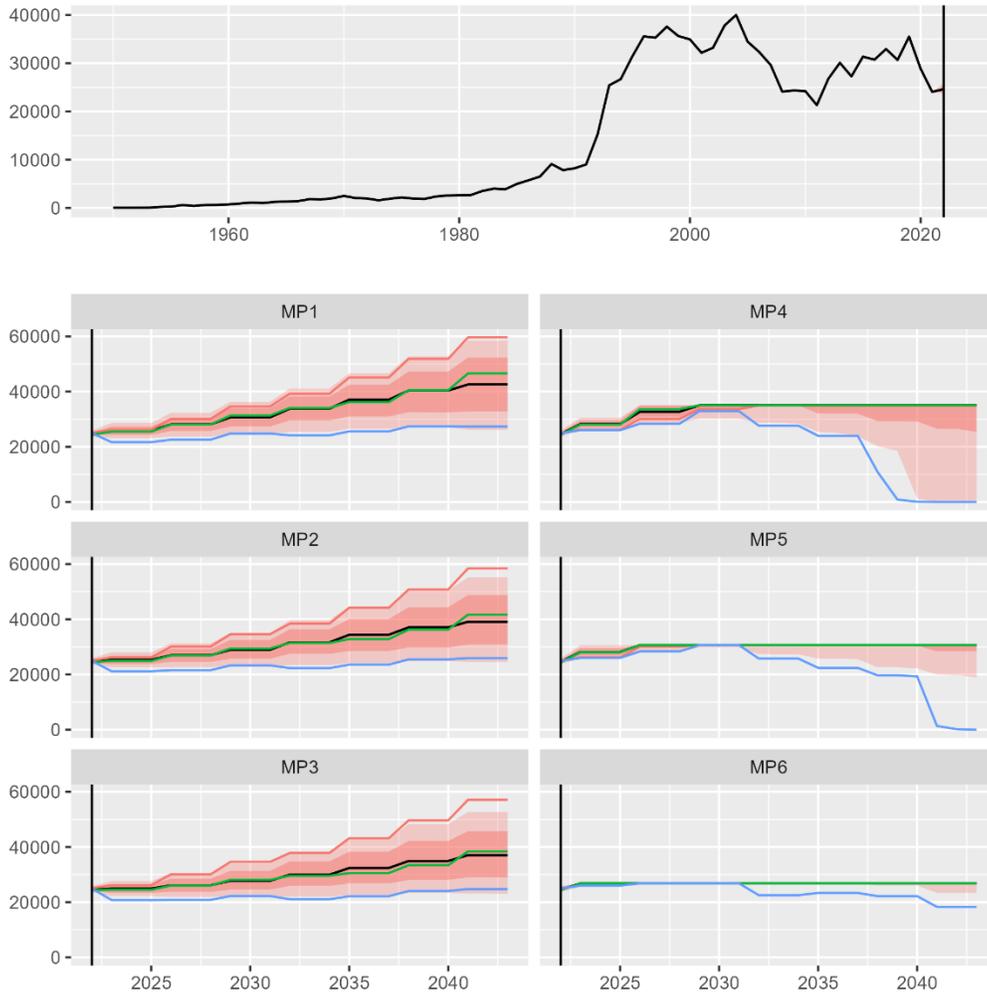


Figure 11. Time series of catch for the candidate MPs

Investigation of different parameterization options for the CPUE MP

MP reactivity to changes in the CPUE index and to the distance to the target value

The CPUE MP has multiple control parameters, and it is not straightforward to decide which parameters should have values chosen a priori and which parameters should have values obtained by tuning. In order to examine the impact of the different parameters on the MP performance, simulations were run for a grid

of parameter values and key performance indicators were calculated over the period for which tuning should be done (2034-2038). The grids used were the following :

- Grid 1 (symmetric responsiveness) :
 - o $k_1=k_2$ varying between 0.1 and 3 and
 - o $k_3=k_4$ varying between 0.1 and 1.2
 - o target = mean of historical CPUE index values (1.00)
- Grid 2 (asymmetric responsiveness) :
 - o k_1 varying between 0.1 and 3
 - o $k_2 = 2 \times k_1$
 - o k_3 varying between 0.1 and 1.2
 - o $k_4 = 2 \times k_3$
 - o target = mean of historical CPUE index values (1.00)
- grid 3 (target range):
 - o target values between 0.1 and 2
 - o k parameters chosen based on results from grid 1 and 2 that correspond to low and to high responsiveness of the MP to the CPUE index, and to symmetric (grid1) and asymmetric (grid2) responsiveness.

Simulations were run on a subset of the OM (100 iterations instead of 500) to make the computing time acceptable. In all cases the interannual TAC variation limit of 15% was applied.

For the grid 1, the MP performance indicators were slightly more influenced by the responsiveness to the distance to the target CPUE (k_3 and k_4 , figure 12) rather than to the slope (k_1 and k_2). The mean catch is rather stable along the isolines for $p(\text{Kobe}=\text{green})$, showing that these two performance metrics are linked to a large extent. Along the $p(\text{Kobe green})$ isolines, management strategies that are more reactive to the CPUE index (higher values of k parameters) lead to higher interannual catch variability. For all options on the grid the risk of $SB < SB_{lim}$ was null.

For the grid 2, the effect of the parameters related to the CPUE slope (k_1 and k_2) on MP performance is larger (figure 13), and similar to the effect of parameters related to the distance to CPUE. As for grid 1,, catches were stable along the isolines for $p(\text{Kobe green})$, and increasing responsiveness lead to increased catch variability. The risk of falling below SB_{lim} was no longer null, but remained very low.

For the grid 3, the performance indicators were very similar for the slow and fast reacting implementations of the CPUE MP, except for the catch variability which was in general lower with the slow reactive MP. An increase in the CPUE target value logically increases the probability of being in the green part of the Kobe plot, and decreases biological risk ($p(SB < SB_{lim})$, figure 14). A dome shape relationship is observed between CPUE target and the resulting catch, with an optimal CPUE target at around 0.45 (which correspond to too high risk of $SB < SB_{lim}$). The asymmetry in the MP reaction to the sign of the slope and difference with target CPUE lead lower catch, but also reduced catch variability.

The options that lead to (values as close as possible to) 50% and 60% probability of being in the green part of the Kobe plot were identified (dots and triangles respectively on figure 14). Scenarios with the best performance (for both 50% and 60% $p(\text{Kobe green})$) were for the slow reactivity option and the symmetric reaction, leading to the highest catches and the lowest variability. The corresponding values of the k

parameters was used for the MPs that were tuned and presented in the section above. All scenarios achieving these levels of $p(\text{Kobe green})$ had low biological risk associated (most times lower than 5%).

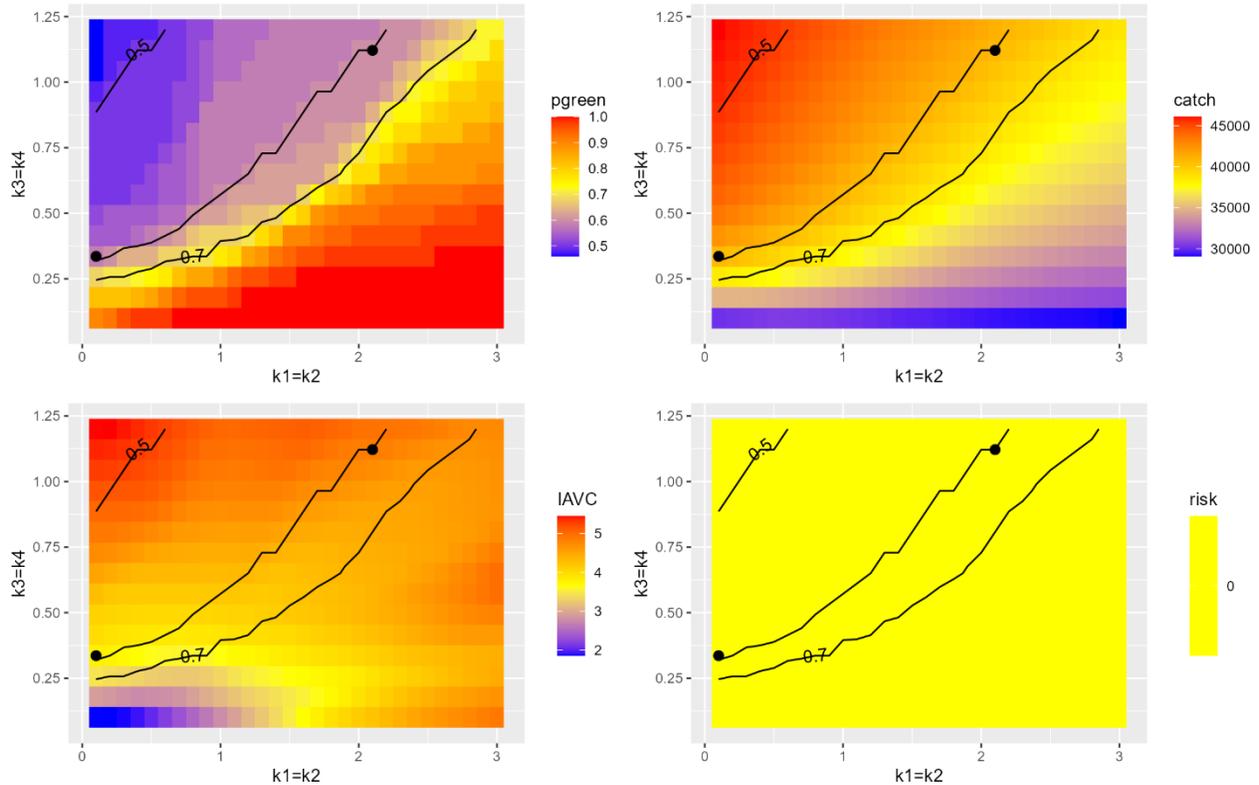


Figure 12 : values of 4 MP performance indicators (p_{green} : $P(\text{Kobe green})$, catch : mean catch, IAVC : interannual catch variability and risk_3 : $p(\text{SB} < \text{SB}_{\text{lim}})$) computed over the period 2034-2038 for a grid of k responsiveness parameters with symmetric response for positive and negative CPUE slope and distance to target (isolines show the 50, 60 and 70% probability of being in the green zone of the Kobe plot).

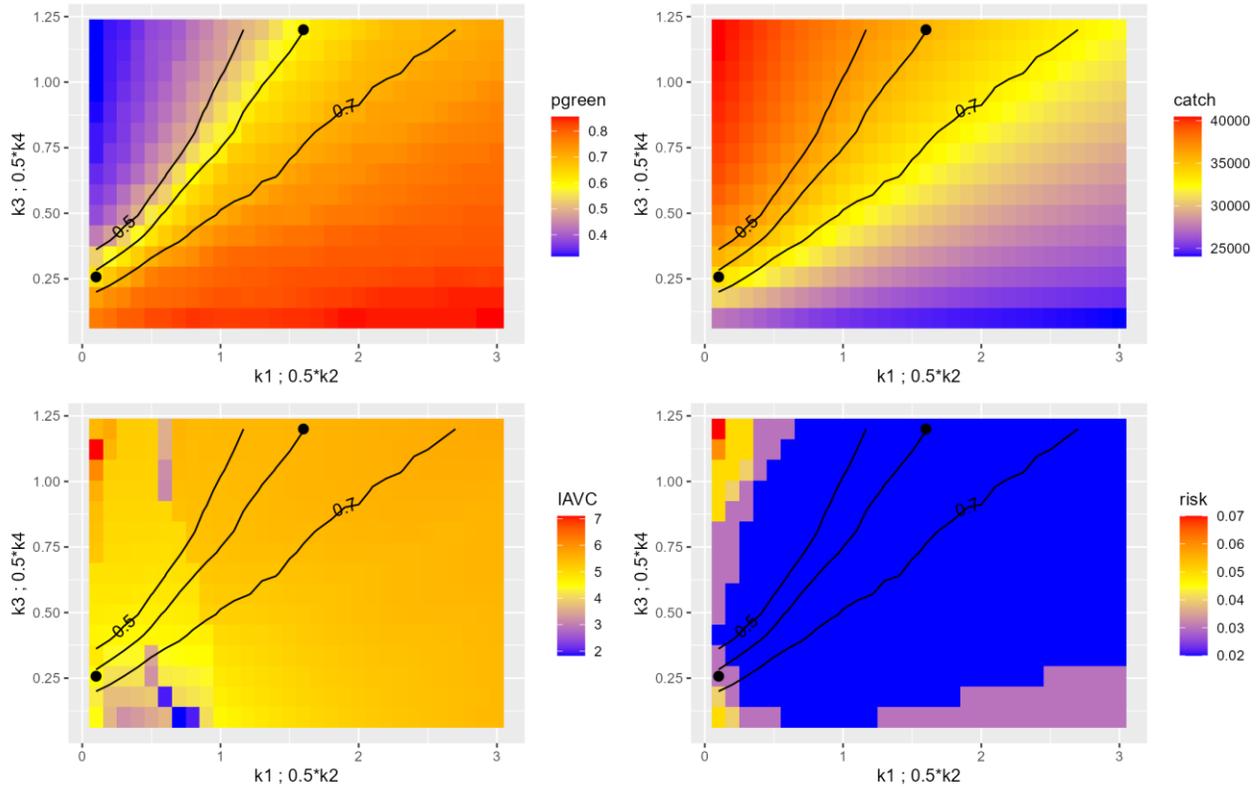


Figure 13 : values of 4 MP performance indicators(p_{green} : $P(\text{Kobe green})$, catch : mean catch, IAVC: interannual catch variability and risk3 : $p(SB < SB_{lim})$ computed over the period 2034-2038 for a grid of k responsiveness parameters with responsiveness twice higher for negative compared to positive CPUE slope and distance to target (isolines show the 50, 60 and 70% probability of being in the green zone of the Lobe plot).

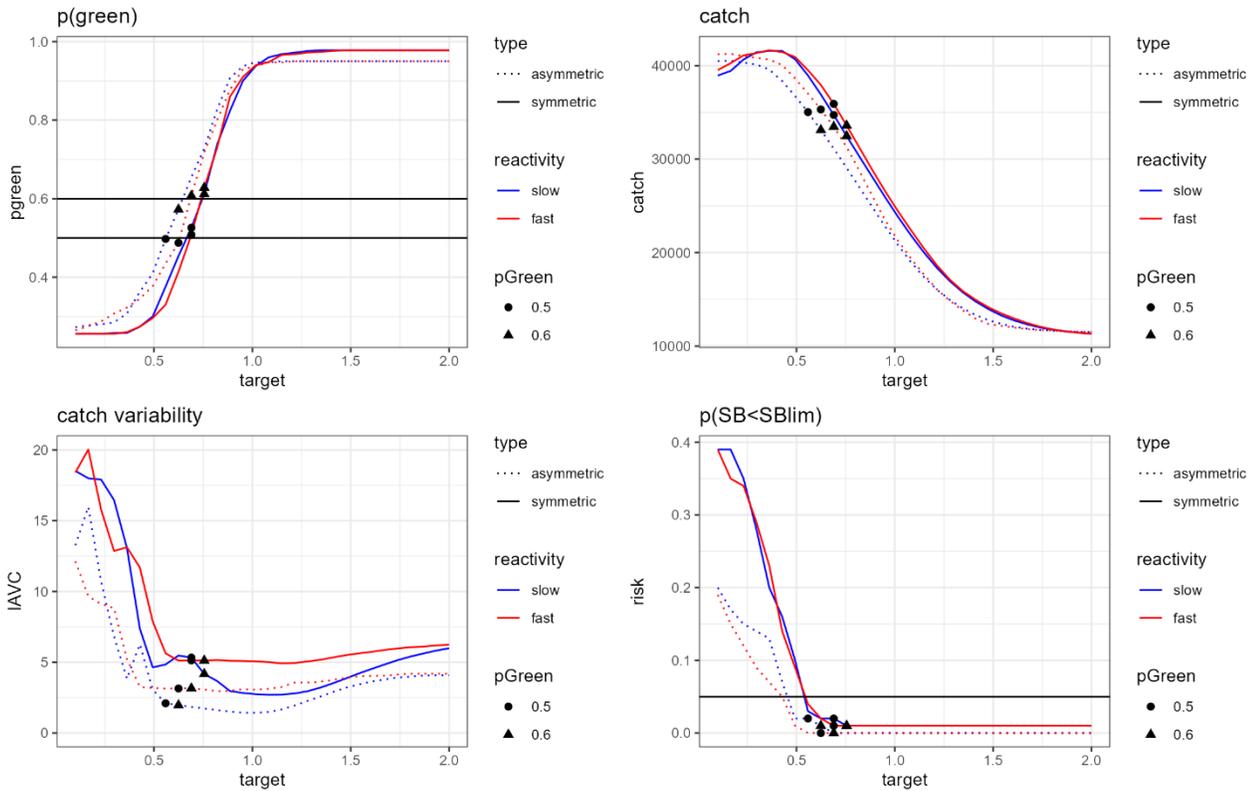


Figure 14 : distribution of the values of 4 MP performance indicators (p_{green} : $P(\text{Kobe green})$, $catch$: mean catch, $IACV$: interannual catch variability and $risk_3$: $p(SB < SB_{lim})$) computed over the period 2034-2038 for a range of CPUE target values for a selection of 4 the combinations of k parameter values (identified by the dots on figure 12 and 13, with low and high responsiveness, symmetric or asymmetric responsiveness depending on sign of the slope and the difference to the target). For each combination, CPUE target value closest to leading to 50 and 60% probability of being in the Kobe green are identified by the dots and triangles respectively

Impact of the implementation of the TAC variation limit

In order to investigate the impact on the MP performance of the implementation of a 15% TAC interannual variation limit, the CPUE MP was tuned again, with the same k parameter values as above, but without the TAC variation limit.

For each tuning objective, the CPUE MP tuned without TAC variation limit consistently had a slightly higher value of the CPUE index target value, meaning that the MP had to be a little more precautionary to achieve the tuning objective than the MPs with the TAC variation limit. Comparison of the performance of the MP with and without TAC variation limit (figure 15) shows that there is overall little difference, the effect of the tuning criteria being overall larger than the effect of implement the TAC variation limit.

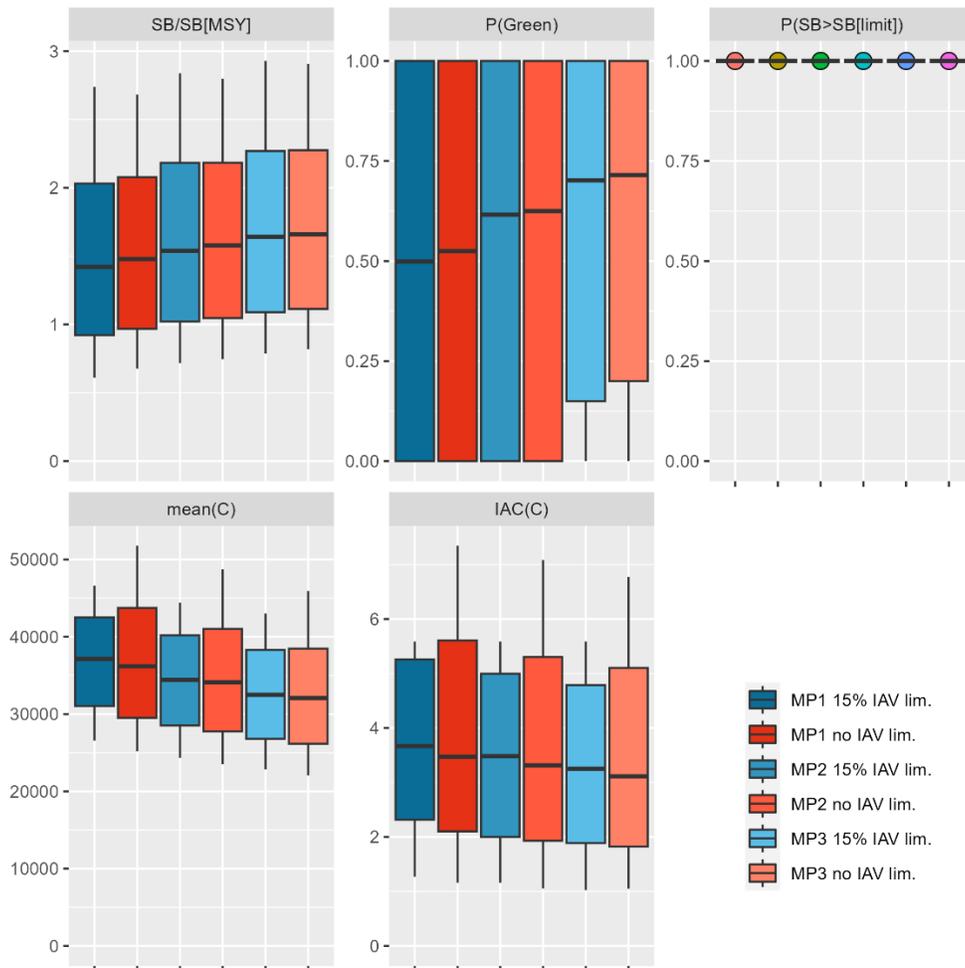


Figure 15. Boxplots comparing the CPUE MP implement with and without TAC stabilizer with respect to key performance measures averaged over the period 2034-2038. Horizontal line is the median (mean for $P(\text{Green})$), boxes represent 25th - 75th percentiles, thin lines represent 10th - 90th percentiles.

Robustness of the different configurations of the CPUE MP to a recruitment failure

The exploration of the performance of the CPUE MP for different types of configuration presented above suggests that configuration with low reactivity combined to a TAC variation limit led, for the swordfish stock, to slightly better performance than alternative configurations. However, such a MP, with slow reactivity to changes in stock size and limited possibilities to change the TAC, might not be capable of protecting the stock in case of unfavourable events.

In order to examine how the different configurations of the CPUE MP perform in protecting the stock in case of an unfavourable event, a robustness test was conducted in which a recruitment failure was simulated at the start of the projection period. A series of poor recruitments were imposed by setting all deviations from the stock-recruitment model to 0.1 for the period 2022-2025. This purely fictive scenario was chosen in order to produce a substantial decrease in stock size, and does not attempt to reproduce any event observed in the history of the stock.

Simulations were run for the slow and fast reacting CPUE MP (that were each tuned beforehand), with and without the TAC stabilizer. The figure 16 shows yearly values of $p(\text{Kobe green})$ and of the probability of falling below SB_{lim} (risk3) for both MP run both with the base-case OM and with the OM with recruitment failure.

Without TAC variation limit and for the base case OM (left panels, red curves), values of $p(\text{Kobe green})$ and risk3 for the fast and slow reacting MP are similar, with $p(\text{Kobe green})$ decreasing from current levels to about 0.5 in 2045 (tuned for 60% over the period 2034-2039). In both cases the risk increases over the period but remains very low. When a recruitment failure is introduced (left panels, blue curves), the risk increases more quickly, especially for the slow reacting MP, that seems to be less able to protect the stock from declining. However, even in this case, the risk remains low, below 5%.

With TAC variation limit, the trajectories for $p(\text{Kobe green})$ and risk3 for the base-case OM (right panels, red curves) are similar as without TAC variation limits. However, when a recruitment failure is simulated (right panels, blue curves), $p(\text{Kobe green})$ quickly falls to about 40%, for both the slow and fast reacting MP, and risk3 increases to around 7% and 10% for the slow and fast reactive MP respectively.

This test, based on a purely fictive recruitment scenario, provides an illustration of the potential drawback in implementing a TAC variation limit : in situations where drastic management measures need to be taken to protect the stock, the TAC stabilizer could potentially lead to an increased risk for the stock, by preventing the MP to be reactive. When deciding on a MP for swordfish, it is therefore important to consider both the benefits (having a more stable TAC, that does not react closely to measurement errors in the CPUE index) and the risks (having a MP not to be able to react fast enough) of using a TAC variation limit. Potential ways to improve on this situation could be explored, as for instance, defining circumstances where the TAC variation limit should be lifted (e.g. if CPUE slope or difference to target are larger than some limits).

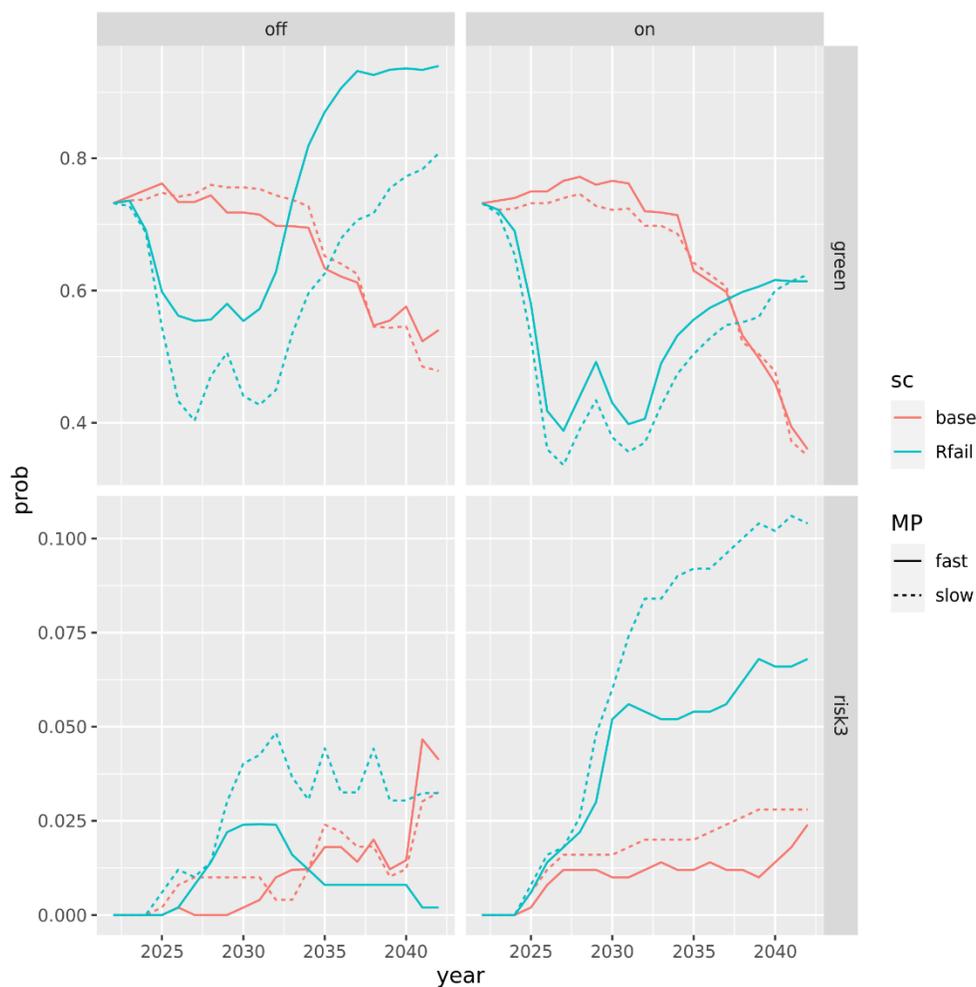


Figure 16. Probability of being in the green part of the Kobe plot (top panels “green”) and probability of $SB < SB_{lim}$ (bottom panels “risk3”) over time for a slow and a fast reacting CPUE MP applied with a TAC stabilizer (right panels “on”) and without TAC stabilizer (left panels “off”), for the base case OM and for an OM with 5 years of recruitment failure at the start of the simulations.

Feedback Requests for the TCMP

The following points are provided to suggest the type of feedback that would be most useful for scientists for the next iteration:

- 1) The developers would welcome any feedback on the preferences on the 2 types of MPs proposed, and would like to know if the commission requests them to test alternatives MPs.
- 2) Are the tuning objectives agreed upon in previous TCMPs still considered relevant?
- 3) In the hockey-stick HRC, a minimum catch allowed when depletion rate is below CT1, to take into account, for example, subsistence fisheries, is yet to be implemented, as no informed value

for this minimum catch could be obtained from expert consultations.

- 4) Could the simulation be carried out assuming that the 3 year total lag mentioned in TCMP04 (2021), could turn into a two year lag, if any adopted MP is to have direct application, as it is the case for the skipjack current HCR?
- 5) Should the developers test the effect of rules to lift the TAC variation limits when there is a special need to protect the stock? If so, the 15% TAC limit would only apply when depletion levels are close or above the inflection point, and not when the need for recovery is greatest.

Appendix 1. Changes in the structural uncertainty grid used to generate the swordfish OM

Table 1a : Reference OM structural uncertainty grid

Variable	Values		
Selectivity	Double Normal	Logistic	
Steepness	0.6	0.75	0.9
Growth + Maturity	Slow growth, late maturity (Wang et al.,2010)	Fast growth, early maturity (Farley et al., 2016, otoliths)	
M	Low = 0.2	High = 0.3	Sex-specific Lorenzen M (Farley et al. (2016), otoliths)
Sigma R	0.2	0.6	
ESS	2	20	
CPUE scaling schemes	Area effect x Surface	Catch	Biomass
CPUEs	JPN late + EU.PRT	JPN late	TWN + EU.PRT
Catchability increase	0%	1% / year	

Table 1b : Proposal for a new OM structural uncertainty grid (additions and removals highlighted respectively in bold and with a cross)

Variable	Values		
Selectivity	Double Normal	Logistic	0.9
Steepness	0.6	0.75	0.90
Growth + Maturity	Slow growth, late maturity (Wang et al.,2010)	Fast growth, early maturity (Farley et al., 2016, otoliths)	
M	Low = 0.2	High = 0.3	Sex-specific Lorenzen M (Farley et al. (2016), otoliths)
Sigma R	0.2	0.4	0.6
ESS	2	20	
CPUE scaling schemes	Area effect x Surface	Catch	Biomass
CPUEs	JPN late + EU.PRT	JPN late	TWN + EU.PRT
Catchability increase	0%	1% / year	

Table 2c. Candidate MP performance for standard IOTC performance measures for the year 2023-2042.

Performance metrics	name	MP1	MP2	MP3	MP4	MP5	MP6
Mean catch over years	mean(C)	31860	30325	29168	31029	28821	26147
Mean fishing mortality relative to FMSY	F/FMSY	1.08	0.96	0.88	2.32	1.72	1.24
Mean fishing mortality relative to target	F/Ftarget	1.08	0.96	0.88	2.32	1.72	1.24
Mean proportion of MSY	C/MSY	0.99	0.94	0.91	0.98	0.92	0.84
Mean spawner biomass relative to unfished	SB/SB0	0.35	0.36	0.37	0.32	0.34	0.37
Mean spawner biomass relative to SBMSY	SB/SBMSY	1.59	1.65	1.69	1.48	1.59	1.72
Minimum spawner biomass relative to unfished	min(SB/SB0)	0.27	0.29	0.3	0.24	0.27	0.3
Percentage inter-annual change in catch	IAC(C)	3.1	2.88	2.67	3.13	1.93	0.95
Probability of being in Kobe green quadrant	P(Green)	0.61	0.67	0.72	0.56	0.64	0.71
Probability of being in Kobe red quadrant	P(Red)	0.23	0.19	0.16	0.33	0.29	0.24
Probability of fishery shutdown	P(shutdown)	0.01	0.01	0.01	0.03	0.02	0.01
Probability that spawner biomass is above 20% SB[0]	P(SB > 0.20 x SB0)	0.88	0.91	0.92	0.77	0.82	0.88
Probability that spawner biomass is above SBlim	P(SB>SBlimit)	0.98	0.98	0.99	0.95	0.97	0.98